

Discussion of  
*“Environmental Taxation and Technological  
Choice under Cournot Competition”*

by B. Casino, Ll. M. Granero, and S. J. Rubio

Discussant: Felix Munoz-Garcia  
Washington State University

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## Summary

- Cournot oligopoly with  $n$  firms; a homogeneous good and an emission tax.
  - Each firm chooses an emission intensity  $x_i \in [0, 1]$ , with emissions  $e_i = (1 - x_i)q_i$ .
  - A *cleaner* technology is *costlier*:  $c(x_i)$  with  $c' > 0$ ,  $c'' \geq 0$  (cost-based, not end-of-pipe).
- A three-stage game (regulator  $\rightarrow$  technology  $\rightarrow$  output) delivers:
  - **First best**: output subsidy (for market power) + Pigouvian tax  $t = D'(E)$ .
  - **Second best** (no subsidy): tax *below* marginal damages.
- Linear-quadratic case ( $P = a - Q$ ,  $D = dE$ ,  $c = cx_i^2/2$ ):  $x_i^* = t/c$ , and the tax *rises* with  $n$ .
  - $\Rightarrow$  **competition promotes green innovation**, lowers each firm's output and emissions ...
  - ... **but** numerically *total* emissions *rise* with  $n$ : the “paradox.”

# Comments

- Timing structure.
  - The unregulated equil. assumes every firm  $i$  chooses  $x_i$  and  $q_i$  simultaneously.
  - But under regulation, the model considers that  $x_i$  is chosen before  $q_i$ .
  - The difference in both could be partially due to the timing, not only to the gov. considering env. damages.
- Env. damages.
  - $D(E) = dE$  are linear in  $E$ .
  - Convex damages (more standard) could *attenuate or overturn* the “total emissions rise with  $n$ ” result.

# Comments

- Paradox/Conjecture 1.
  - This is done in section 5, linear demand, parametric expressions.
  - No subsidies, only emission fees.
  - The setting is, then, closer to Lambertini et al. (2017), including their timing,...
  - but they consider convex damages and abatement, not your costly  $x_j$ .
  - They obtain that  $Z$  first increases in  $n$ , but then decreases (free-riding dominates).
  - Only first segment here.

# Comments

- Number of firms,  $n$ , is exogenous.
  - With free entry,  $n^*$  is an *equilibrium* outcome (zero-profit condition).
  - Comparing welfare across  $n$  then could mix:
    - the emission distortion and
    - the business-stealing / excess-entry distortion.
- Katsoulacos & Xepapadeas (1995), already cited, show that with endogenous market structure the optimal tax may *exceed* marginal damages, to curb excess entry.
  - This could *reverse* the sign in Proposition 4.